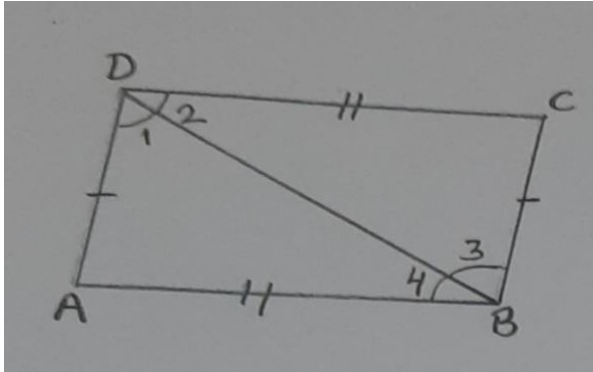


### EXERCISE – 15B

**Q-3. In the given figure ..... Congruent parts .**

Sol :



Given that =  $AD = BC$  and  $AB = CD$

To prove =  $\triangle ABD \cong \triangle CDB$

Proof :  $AD = BC$  ( Given )

$AB = CD$  ( Given )

$BD = BD$  (common )

Hence By SSS

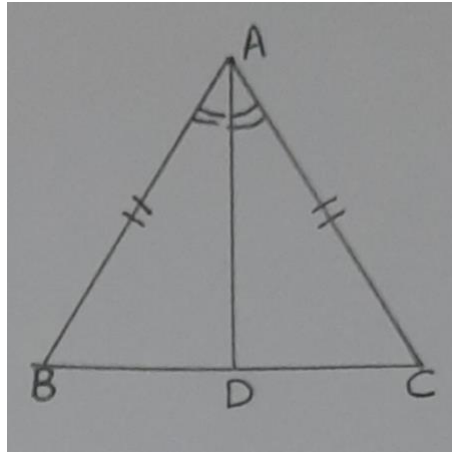
$\triangle ABD \cong \triangle CDB$

Congruent parts :

$AB \cong CD$  ,  $AD \cong CB$  and  $BD \cong BD$

$\angle 1 = \angle 3$  ,  $\angle 2 = \angle 4$  And  $\angle A = \angle C$

**Q-4. ABC is an isosceles ..... BD?**



Sol :

Sol : a. **Given :  $AB = AC$  and  $AD$  is the bisector of angle  $A$ .**

To prove :  $\triangle ABD \cong \triangle ACD$

Proof :  $AB = AC$  ( Given)

angle  $BAD =$  angle  $CAD$  (  $AD$  is the bisector of angle  $A$ )

$AD = AD$  ( common)

Hence by SAS

$\triangle ABD \cong \triangle ACD$

**b. Is  $\angle ADB = 90^\circ$**

Proof :

$\angle ADB + \angle ADC = 180^\circ$  ( Linear pair)

$\angle ADB + \angle ADB = 180^\circ$  ( By CPCT  $\angle ADB = \angle ADC$ )

$2 \angle ADB = 180^\circ$

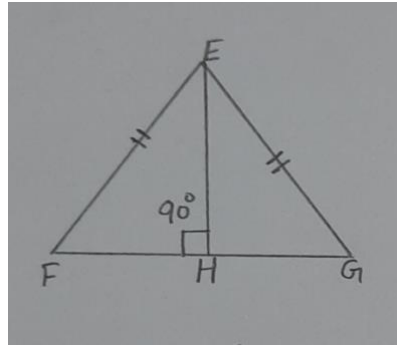
$\angle ADB = 180^\circ / 2 = 90^\circ$

**c. Is  $D$  the mid point of  $BC$  ?**

Sol :  $BD = DC$  ( By CPCT)

Hence  $D$  is the mid part of  $BC$ .

**Q- 5.  $\triangle EFG$  is isosceles .  $EF = EG$  and  $EH = FG$  and  $EH \perp FG$  . Prove that angle  $F =$  angle  $G$ .**



Sol : Given :  $EF = EG$

$EH \perp FG$

To prove : angle F = angle G

Proof ;  $EF = EG$  ( Given )

$EH = EH$  ( Common)

$\angle EHF = \angle EHG = 90^\circ$  ( EH is perpendicular to FG)

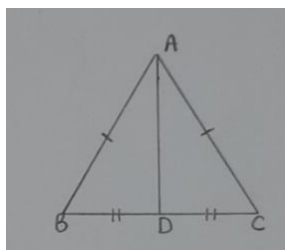
So by RHS

$\triangle EHF \cong \triangle EHG$

$\Rightarrow \angle F = \angle G$  ( By CPCT)

Hence proved .

Q-6. In the given figure ----- Prove that –



a.  $\triangle ABD \cong \triangle ACD$

Sol : a. Given :  $AB = AC$  and  $BD = DC$

To prove :  $\triangle ABD \cong \triangle ACD$

Proof :  $AB = AC$  ( Given)

$BD = DC$  (Given)

$$AD = AD \text{ ( common)}$$

Hence by SSS

$$\triangle ABD \cong \triangle ACD$$

$$b. \therefore \angle ADB = \angle ADC = 90^\circ$$

Proof :  $\angle ADB + \angle ADC = 180^\circ$  ( Linear pair)

$$\angle ADB + \angle ADB = 180^\circ \text{ ( By CPCT } \angle ADB = \angle ADC)$$

$$2\angle ADB = 180^\circ$$

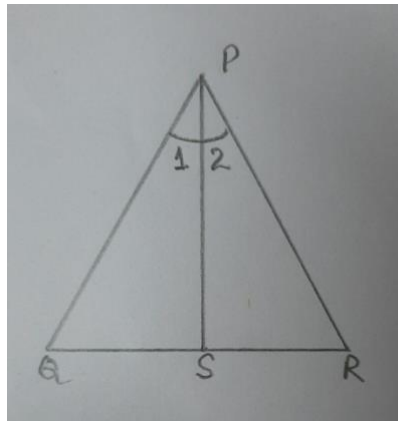
$$\angle ADB = 180^\circ / 2 = 90^\circ$$

Hence angle ADB = angle ADC =  $90^\circ$

c. angle B = angle C ( By CPCT )

d. angle BAD = angle CAD ( By CPCT)

Q-7. In triangle PQR ----- Prove that PQ = PR



Sol : . Given : PS is the bisector of angle P so  $\angle 1 = \angle 2$

To prove : PQ = PR

Proof :  $\angle 1 = \angle 2$  ( PS is the bisector of angle P)

angle PSQ = angle PSR =  $90^\circ$  ( PS is perpendicular to QR)

PS = PS ( common)

Hence by ASA

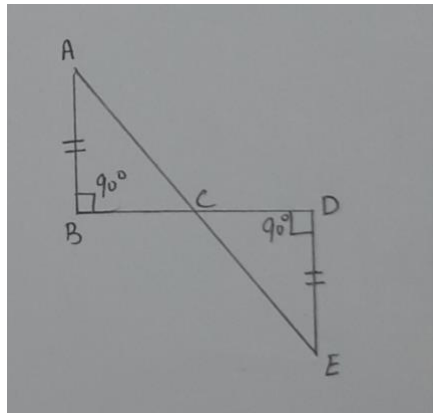
$$\triangle PQS \cong \triangle PRS$$

$\Rightarrow$

$$PQ = PR$$

Hence proved

Q-8. In the given figure ----- Prove that  $CD = BC$



Sol : Given :  $\text{angle } B = \text{angle } D = 90^\circ$

$$AB = DE$$

To prove =  $CD = BC$

Proof :  $\text{angle } B = \text{angle } D = 90^\circ$  ( Given)

$$AB = DE \text{ ( Given)}$$

$\text{Angle } ACB = \text{angle } ECD$  ( vertically opposite angle )

By ASA

$$\triangle ABC \cong \triangle EDC$$

$$\Rightarrow BC = CD \text{ ( By CPCT)}$$

Hence proved .

